## Incoming student mobility

UNIOS University Unit: SCHOOL OF APPLIED M ATHEM ATICS AND INFORM ATICS

## COURSES OFFERED IN FOREIGN LANGUAGE FOR ERASMUS+INDIVIDUAL INCOM ING STUDENTS

| Department or Chair within the | School of Applied Mathematics and Informatics |
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| UNIOS Unit |  |


| Study program | Graduate university study programme in mathematics (Master <br> level) <br> Branches: <br> $\bullet \quad$ Financial Mathematics and Statistics <br> $\bullet \quad$ Mathematics and Computer Science |
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| Study level | Graduate (master) |
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| Course title | Linear optimization |
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| Course code (if any) | M 128 |
| Language of instruction | English |
| Brief course description | Syllabus. <br> 1. Introductory part: Definition of linear programming problem. Examples of linear programming problems. By parts linear convex function. Graphic solution of two-dimensional linear programming problem. <br> 2. Linear programming geometry: Polyhedron and convex sets. Extreme points, vertices and basic feasible solution. Polyhedron in standard form. Degeneration. Extreme point existence and optimality <br> 3. Simplex method: Optimality condition. Derivation and implementation of the simplex method. Bland's rule. Determining the initial basic solution. Complexity analysis of the simplex method. <br> 4. Dual problem: Dual problem. Theorems of weak and strong duality. Farkas' lemma and linear inequalities. Theorems and separation. Dual simplex method. <br> 5. Sensitivity analysis: Local sensitivity analysis. Global sensitivity analysis. Interpretation. <br> 6. Ellipsoidal method: Geometric meaning and complexity. <br> 7. Network Flow Problems: Definitions, Formulation of Network |


|  | Flow Problems and Properties. The law of conservation of flow. <br> Equivalent problems: transport problem, join problem, various <br> variants of networf flow problems. Simplex algorithm for <br> network flow problem: trees and basic permissible solutions, <br> base change, simplex method for capacity problems. |
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| 8.Maximum flow problem: Definitions, formulation of maximum <br> flow problem, properties, Ford-Fulkerson algorithm, magnifying <br> path search, graph cut, Max-flow min-cut theorem. <br> 9. <br> Problems of integer programming (backpack problem, packing, <br> partitioning, coverage, merchant passenger problem, scheduling <br> problems, etc.) M odeling techniques. Strong formulation of the <br> problem. Modeling with exponentially many conditions. |  |
| Form of teaching | Lectures and exercises are obligatory. The exam consists of a written <br> and an oral part. Upon completion of the course, students can take <br> the exam. Successful midterm exam scores replace the written exam. |
| Form of assessment | $\mathbf{8}$ |
| Number of ECTS | $\mathbf{3 + 2 + 1}$ |
| Class hours per week | Winter semester |
| Minimum number of students | Ivana Kuzmanović lvicićc |
| Period of realization | Lecturer |

